Search for Magnetic Monopoles with the MoEDAL Forward Trapping Detector in 13 TeV Proton-Proton Collisions at the LHC


(MoEDAL Collaboration)

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MoEDAL is designed to identify new physics in the form of long-lived highly ionizing particles produced in high-energy LHC collisions. Its arrays of plastic nuclear-track detectors and aluminium...
trapping volumes provide two independent passive detection techniques. We present here the results of a first search for magnetic monopole production in 13 TeV proton-proton collisions using the trapping technique, extending a previous publication with 8 TeV data during LHC Run 1. A total of 222 kg of MoEDAL trapping detector samples was exposed in the forward region and analyzed by searching for induced persistent currents after passage through a superconducting magnetometer. Magnetic charges exceeding half the Dirac charge are excluded in all samples and limits are placed for the first time on the production of magnetic monopoles in 13 TeV $pp$ collisions. The search probes mass ranges previously inaccessible to collider experiments for up to five times the Dirac charge.

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The existence of a magnetically charged particle would add symmetry to Maxwell’s equations and explain why electric charge is quantized in nature, as shown by Dirac in 1931 [1]. In addition to providing a consistent quantum theory of magnetic charge and elucidating electric charge quantization, Dirac predicts the fundamental magnetic charge number (or Dirac charge) to be $g_D = (1/2\alpha_m) = 68.5$ where $\alpha_m$ is the fine-structure constant. Consequently, in SI units, magnetic charge can be written in terms of the dimensionless quantity $g_D$ as $q_m = n g_D e c$ where $n$ is an integer number, $e$ is the proton charge, and $c$ is the speed of light in vacuum. Because $g_D$ is large, a fast monopole is expected to induce ionization in matter thousands of times higher than a particle carrying the elementary electric charge. Additionally, the existence of the monopole as a topological soliton is a prediction of theories of the unification of forces [2–5] where the monopole mass is determined by the mass scale of the symmetry breaking that allows nontrivial topology. For a unification scale of $10^{16}$ GeV such monopoles would have a mass in the range $10^{17}$–$10^{18}$ GeV. In unification theories involving a number of symmetry-breaking scales [6–8] monopoles of much lower mass can arise, although still beyond the reach of the LHC. However, an electroweak monopole has been proposed [9–12] that is a hybrid of the Dirac and ’t Hooft–Polyakov monopoles [2,3] with a mass that is potentially accessible at the LHC.

Monopole relics from the early Universe have been extensively searched for in cosmic rays and in materials [13,14]. In the laboratory, monopole-antimonopole pairs are expected to be produced in particle collisions, provided the collision energy exceeds twice the monopole mass $M$. Each time an accelerator accessed a new energy scale, dedicated searches were made in new monopole mass regions [15]. The LHC is no exception to this strategy as a comprehensive monopole search program using various techniques has been devised to probe TeV-scale monopole masses for the first time [16,17]. The results obtained by MoEDAL using 8 TeV $pp$ collisions allowed the existing LHC constraints on monopole pair production [18] to be improved to provide limits on monopoles with $|g| \leq 3 g_D$ and $M \leq 3500$ GeV [19].

In 2015, an increase in the LHC $pp$ collision energy from 8 to 13 TeV was achieved, opening a significant discovery opportunity window. This paper presents the first monopole search results in this new energy regime, using the forward monopole trapping detector of the MoEDAL experiment exposed to $0.371 \pm 0.004$ fb$^{-1}$ of 13 TeV $pp$ collisions in 2015. The trapping volume used here is an upgrade of the prototype that was exposed in 2012 [19]. It consists of 672 square aluminium rods with dimension $19 \times 2.5 \times 2.5$ cm$^3$ for a total mass of 222 kg in 14 stacked boxes that were placed 1.62 m from the IP8 LHC interaction point under the beam pipe on the side opposite to the LHCb detector.

A crucial underlying assumption for the effectiveness of the trapping technique using aluminium elements is that there is a strong binding of a magnetic monopole to the $^{27}$Al nucleus. Binding is expected between a magnetic monopole carrying the Dirac charge or higher and nuclei with nonzero magnetic moments. Existing models, summarized in Ref. [20], estimate that binding should occur for $^{27}$Al (100% natural abundance). With its large magnetic moment, $^{27}$Al has a predicted monopole-nucleus binding energy in the range 0.5–2.5 MeV [20–24], comparatively higher than the predictions obtained with other materials (0.05–1 MeV for protons, and 0.006 MeV for $^{113}$Cd). We also note that aluminium does not present a problem with respect to induced radioactivity, while its nonmagnetic nature favors the stability of the SQUID magnetometer measurements.

The samples were individually scanned with a dc SQUID long-core magnetometer (2G Enterprises Model 755) newly installed at the Laboratory for Natural Magnetism at ETH, Zurich. Conveniently, the new instrument features a conveyor tray for transporting samples through the sensing coils. The current induced in the superconducting coil perpendicular to the shaft is directly proportional to the magnetic flux difference in the direction of transport. A magnetic monopole contained in a sample would induce a current proportional to the pole strength. In this search, the magnetometer output is multiplied by a calibration factor to translate it into the magnetic charge contained in the sample in units of Dirac charge $g_D$. The calibration is performed using two independent methods, as described in Ref. [25]: the solenoid method and the
convolution method. For the solenoid method, small currents are flown through a physical 25 cm long solenoid of pole strength $32.4 \, \mu A$ with only one end introduced through the sensing coil. For the convolution method, a sample of known magnetic dipole moment is measured at many different positions along the magnetometer and the superposition principle is used to infer the response from a single pole. The two methods give a calibration constant that is consistent to within 10%. The linearity of the magnetometer response is directly demonstrated for magnetic poles in the range $0.3-10^6 \, g_D$.

The monopole signature is quantified in terms of a quantity called persistent current, defined as the difference between the induced currents measured after and before passage of the sample, to which the contribution of the conveyor tray is subtracted. The currents induced by the north and south poles of any dipole present in the sample cancel out. The persistent current is directly proportional to the magnetic charge contained in the sample and is measured in units of $g_D$ after applying the calibration constant. Persistent currents measured during the first passage of the 672 forward trapping detector samples through the SQUID magnetometer are shown in the top panel of Fig. 1. The 20 samples that yielded an absolute value corresponding to a magnetic charge larger than $0.25 g_D$ were set aside and remeasured at least three more times.

The bottom panel of Fig. 1 shows the results of the multiple measurements for these candidates. Most of these candidates are found to have a magnetization higher than average. The magnetic dipole moments of the aluminum samples are due to impurities and correspond usually to around $5 \times 10^{-9} \, \text{A.m}^2$ (corresponding to a response of $\sim 20 g_D$ after calibration when the sample is in the sensing region). Samples with higher magnetization are known to cause magnetometer instabilities [19,25,26]. Samples with a total dipole moment exceeding $1.5 \times 10^{-7} \, \text{A.m}^2$ (corresponding to a response $> 600 g_D$ when the sample is in the sensing region) generate a flux variation corresponding to several quantum steps inside the SQUID, in which case the response may not quite come back to the same level during the flux change in the other direction as the sample passes through the sensing coil, causing a slight offset. This is the case for samples 2 and 14 for which fake signals are observed around the value $\pm 1.6 g_D$, as can be seen in Fig. 1 (bottom). Similar effects are found in measurements with nonexposed samples of similar or greater magnetization (see also Refs. [25,26]). However, in these samples, the polarity of the persistent current depends on the sample orientation (which end of the bar is introduced first), and a fraction of the measurements still yield zero persistent current. Neither of these two features would be present in the case of a genuine magnetic monopole. Samples of weaker magnetic dipole moments consistently yield persistent currents smaller than $0.25 g_D$ in absolute value. The monopole hypothesis is thus excluded for all 20 candidates.

There are two instances in which a genuine monopole in a sample that is measured only once could possibly yield a persistent current lower than $0.25 g_D$ such as to avoid being
selected as a candidate and escape detection. The first possibility is that there exists another monopole of opposite charge in the same sample. Because of the large amount of samples (672 in total), this possibility is ruled out by the following argument: in the case of a very small monopole production cross section, the probability that both the monopole and the antimonopole (which are almost never produced in the same direction) would end up in the same sample is negligible; and in the case of a large production cross section, the probability that the positive charges would cancel the negative charges in all samples in which monopoles would be trapped is again negligible. The second possibility is that of a mismeasurement leading by chance to a cancellation of the persistent current induced by the monopole in such a way that the measured value would be in the interval $\frac{1}{2} - 0.25 \mu_D$; $0.25 \mu_D$. This is studied using the distribution of persistent currents obtained in samples without monopoles, assuming that the magnetic field of the monopole itself (small compared to those of magnetic dipoles contained in the sample and tray) does not affect the mismeasurement probability. This probability is estimated to be less than 0.5% for monopoles with absolute charge $0.5 \mu_D$ or higher. Thus, the presence of a monopole with absolute magnetic charge exceeding $0.5 \mu_D$ is excluded at more than 99.5% confidence level in all samples.

The trapping detector acceptance is defined as the probability that a monopole of given mass, charge, energy and direction would end its trajectory inside the trapping volume. It is determined from the knowledge of the material traversed by the monopole and the ionization energy loss of monopoles when they go through matter implemented in a simulation based on GEANT4. Simulations with uniform monopole energy distributions allow identification, for various charge and mass combinations, of ranges of kinetic energy and polar angle for which the acceptance is relatively uniform, called fiducial regions. The fiducial regions given in Ref. [19] can conservatively be used to provide an interpretation that does not depend on the monopole production model.

As a realistic model of monopole pair production, a Drell-Yan (DY) mechanism is employed for its simplicity and for ease of comparison with previous LHC results. It should be noted, though, that the DY model does not constitute a reliable tool for calculating the monopole production cross section as a consequence of the fact that it is perturbative, and thus not strictly applicable to the nonperturbative regime of strong magnetic charges. Two scenarios for monopole spin are adopted, namely, spin 0 and spin $\frac{1}{2}$. Monopole trapping acceptances in the range 0.1% to 4% are obtained from full GEANT4 simulations of DY events in 13 TeV $pp$ collisions generated with MADGRAPH5 [33] in the intervals $1 - 6 \mu_D$ and $200 \leq M \leq 6000$ GeV, with 100000 events for each mass-charge combination.

Acceptance loss comes from a combination of monopoles punching through the trapping volume (mostly for $|g| = \mu_D$) and monopoles ranging out before reaching the trapping volume (for higher charges), explaining the shape difference. The solid lines are DY cross-section calculations at leading order.

FIG. 2. Cross-section upper limits at 95% confidence level for DY monopole production in 13 TeV $pp$ collisions as a function of mass for spin-$1/2$ (left) and spin-0 (right) monopoles. The colors correspond to different monopole charges. Acceptance loss is dominated by monopoles punching through the trapping volume for $|g| = \mu_D$ while it is dominated by stopping in upstream material for higher charges, explaining the shape difference. The solid lines are DY cross-section calculations at leading order.
TABLE I. Monopole lower mass limits (95% confidence level) in models of spin-1/2 and spin-0 DY pair production in LHC pp collisions for monopole charges $|g|$ up to 4$g_D$. These limits are based upon cross sections computed at leading order. These cross sections are only indicative since the monopole coupling to the photon is too large to allow for perturbative calculations. Previous results obtained in 8 TeV collisions are from Ref. [19] (the MoEDAL prototype trapping detector) and Ref. [18] (ATLAS).

<table>
<thead>
<tr>
<th>Mass limits (GeV)</th>
<th>$1g_D$</th>
<th>$2g_D$</th>
<th>$3g_D$</th>
<th>$4g_D$</th>
</tr>
</thead>
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<tr>
<td>MoEDAL 13 TeV (this result)</td>
<td>890</td>
<td>1250</td>
<td>1260</td>
<td>1100</td>
</tr>
<tr>
<td>MoEDAL 8 TeV</td>
<td>460</td>
<td>760</td>
<td>800</td>
<td>650</td>
</tr>
<tr>
<td>ATLAS 8 TeV</td>
<td>700</td>
<td>920</td>
<td>840</td>
<td>...</td>
</tr>
<tr>
<td>DY spin 1/2</td>
<td>420</td>
<td>600</td>
<td>560</td>
<td>...</td>
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<tr>
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<td>...</td>
<td>...</td>
<td>...</td>
</tr>
<tr>
<td>DY spin 0</td>
<td>1050</td>
<td>...</td>
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